

Name: _____ Date: _____ Period: _____

Chapter 8: Intro to Trigonometry
Topic 7: Degrees and Radians

DO NOW:

Using a QSFR chart, find the exact value of $\cos(240^\circ)$

Working with Degrees:

Degree measures are not typically expressed as decimals. Instead, we use a system of _____ and _____, just like a clock! For the purposes of this class, we will just work with minutes.

The number that we associate with minutes is _____. Minutes are abbreviated as _____

For example: 25 degrees and 18 minutes would be written as $25^\circ 18'$

Steps to convert a decimal degree measure to degree/minute form:

Example: What is the value of 74.3039° to the nearest minute?

- | | |
|--|----|
| 1. Round to the nearest hundredth | 1. |
| 2. Multiply the <u>decimal part</u> by 60 | 2. |
| 3. Combine with the whole number & write in Degree/Minute form | 3. |

You Try:

Examples: What is the value of the given degree measure to the nearest minute?

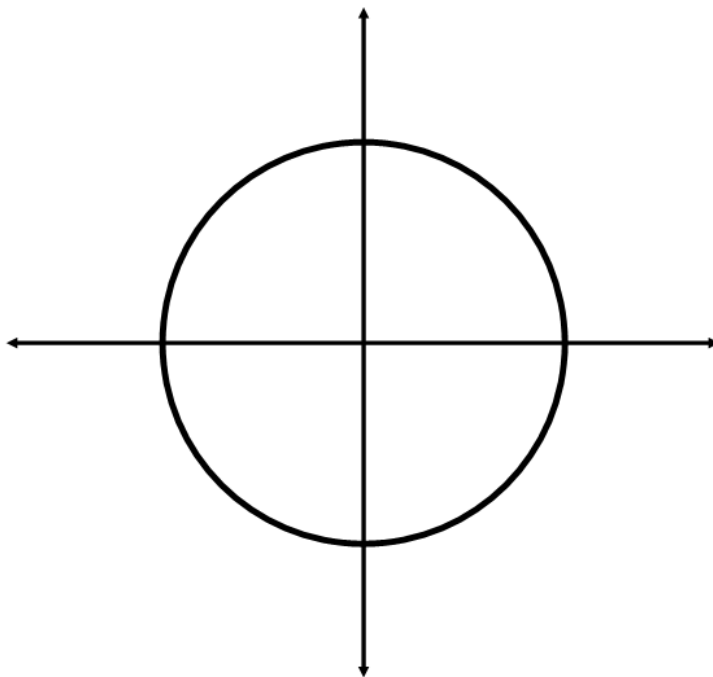
- | | |
|--------------------|---------------------|
| 1. 25.0864° | 2. 200.1034° |
| 3. 145.907° | 4. 18.997° |

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Working with Radians:

Radians are another set of numbers that measure angles on the coordinate plane. Instead of being based on a circle measure of _____ like degrees, it is based off of a full rotation equal to _____.

Let's re-look at the coordinate plane and unit circle, and label radians:



The number one relationship between degrees and radians is:

To convert from Degrees to Radians:

To convert from Radians to Degrees:

Examples:

Convert the following into radians:

63°

30°

315°

Convert the following into degrees:

$\frac{3\pi}{2}$

$\frac{8\pi}{10}$

$\frac{\pi}{20}$