

*Chemistry, The Central Science*, 10th edition AP edition  
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## Chapter 14: Chemical Kinetics

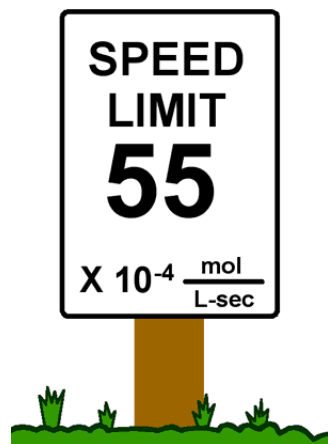
John D. Bookstaver, St. Charles Community College, St. Peters, MO,  
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(ppt modified for our requirements)



# Kinetics

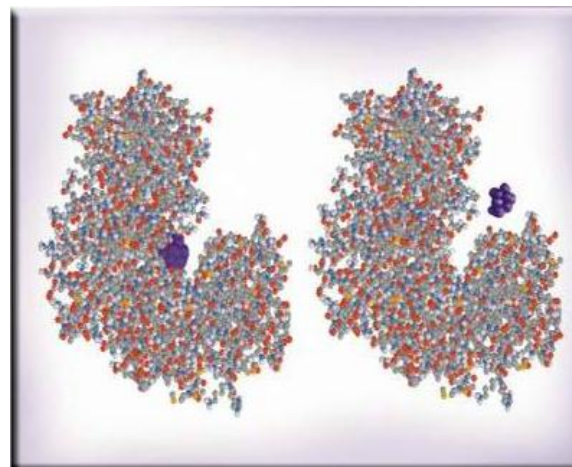
Studies the rate at which a chemical process occurs.



Besides information about the speed at which reactions occur, kinetics also sheds light on the reaction mechanism (exactly *how* the reaction occurs).

## Resources and Activities

- Textbook - chapter 14 & ppt file
- Online practice quiz
- Lab activities
- POGIL activities
- Chem Guy video lecture series on Chemical Kinetics (several)  
<http://www.cosmolearning.com/courses/ap-chemistry-with-chemguy/video-lectures/>
- Chemtour videos from Norton & Animations from Glencoe



# Activities and Problem set for chapter 14 (due date\_\_\_\_\_)

## Lab activities:

- *Kinetics of a reaction (wet lab)*
- Virtual lab (Iodine-Clock expt.)
- [http://www.chem.iastate.edu/group/Greenbowe/sections/projectfolder/flashfiles/kinetics2/iodine\\_clock.html](http://www.chem.iastate.edu/group/Greenbowe/sections/projectfolder/flashfiles/kinetics2/iodine_clock.html)

POGILS (2) : Chemical Kinetics;  
Reaction Mechanisms

Online practice quiz ch 14 due  
by\_\_\_\_\_

## Chapter 14 reading guide and practice problems packet

In class preview and then **Independent work** - students to view animations & interactive activities (5 in total from Norton) and **write summary notes** on each. These summaries are to be included in your portfolio.

### Animations to view in class and at home:

<http://www.wwnorton.com/college/chemistry/gilbert2/contents/ch14/studyplan.asp>

(Reaction rates, Reaction order, Arrhenius equation, Collision Theory, Reaction mechanisms)

### Additional resources to explore (summaries not mandatory)

[http://glencoe.mcgraw-hill.com/sites/0023654666/student\\_view0/chapter13/animations\\_center.html#](http://glencoe.mcgraw-hill.com/sites/0023654666/student_view0/chapter13/animations_center.html#)  
(catalysis, Kinetics simulation)

# Outline: Kinetics

<b>Reaction Rates</b>	How we measure rates.
<b>Rate Laws</b>	How the rate depends on amounts of reactants.
<b>Integrated Rate Laws</b>	How to calc amount left or time to reach a given amount.
<b>Half-life</b>	How long it takes to react 50% of reactants.
<b>Arrhenius Equation</b>	How rate constant changes with T.
<b>Mechanisms</b>	Link between rate and molecular scale processes.



# Vocabulary terms

## Reaction rate

(units  $M \cdot s^{-1} \equiv mol \cdot L^{-1} \cdot s^{-1}$ )

- Instantaneous rate
- Initial rate (instantaneous rate at  $t = 0$ )
- Average rate of reaction
- Rate constant (diff units possible depending on molecularity of reaction)

## Reaction orders

- Overall reaction order
- 1<sup>st</sup> order
- 2<sup>nd</sup> order

## Collision Model/theory

- Activation energy ( $E_a$ )
- Activated complex/transition state
- Arrhenius equation

## Reaction mechanisms

- Elementary reactions/processes
- Molecularity
- Unimolecular, bimolecular, termolecular

## Catalysts

- Homogeneous & heterogeneous
- Adsorption vs absorption
- Enzymes, substrates, active sites, lock & key model

# Important equations



$$\text{Rate} = k [A]^x [B]^y$$

---

For a first order reaction  $A \rightarrow \text{products}$

$$\text{rate} = - \frac{\Delta[A]}{\Delta t} \quad \ln [A]_t = -kt + \ln [A]_0 \quad \ln \frac{[A]_t}{[A]_0} = -kt$$

$$\text{rate} = k [A]$$

Because  $[A]$  at  $t_{1/2}$  is one-half of the original  $[A]$ ,  $[A]_t = \frac{1}{2}[A]_0 = 0.5[A]_0$

$$\ln \frac{0.5 [A]_0}{[A]_0} = -kt_{1/2} \quad \frac{0.693}{k} = t_{1/2}$$

# Important equations

For a second order reaction  $A + B \rightarrow \text{products}$

$$\text{rate} = - \frac{\Delta[A]}{\Delta t} \quad \text{rate} = k [A] [B] \quad \text{rate} = k [A]^2$$

$$\frac{1}{[A]_t} = kt + \frac{1}{[A]_0}$$

**Half life for second order reaction**

$$\frac{1}{k[A]_0} = t_{1/2}$$

# Important equations (to complete)

Arrhenius equation

$$k = A e^{-E_a/RT}$$

$$\ln(k) = \ln A - E_a/RT$$

$$\ln(k) = -\frac{E_a}{RT} + \ln A$$





# Factors That Affect Reaction Rates

- Physical State of the Reactants

- In order to react, molecules must come in contact with each other.
- The more homogeneous the mixture of reactants, the faster the molecules can react.

- Concentration of Reactants

- As the concentration of reactants increases, so does the likelihood that reactant molecules will collide.

- Temperature

- At higher temperatures, reactant molecules have more kinetic energy, move faster, and collide more often and with greater energy.

# Factors That Affect Reaction Rates

- Presence of a Catalyst

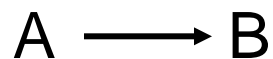
- Catalysts speed up reactions by changing the mechanism of the reaction.
- Catalysts are not consumed during the course of the reaction.

# Chemical Kinetics

Thermodynamics – does a reaction take place?

Kinetics – how fast does a reaction proceed?

**Reaction rate** is the change in the concentration of a reactant or a product with time ( $M/s$ ).



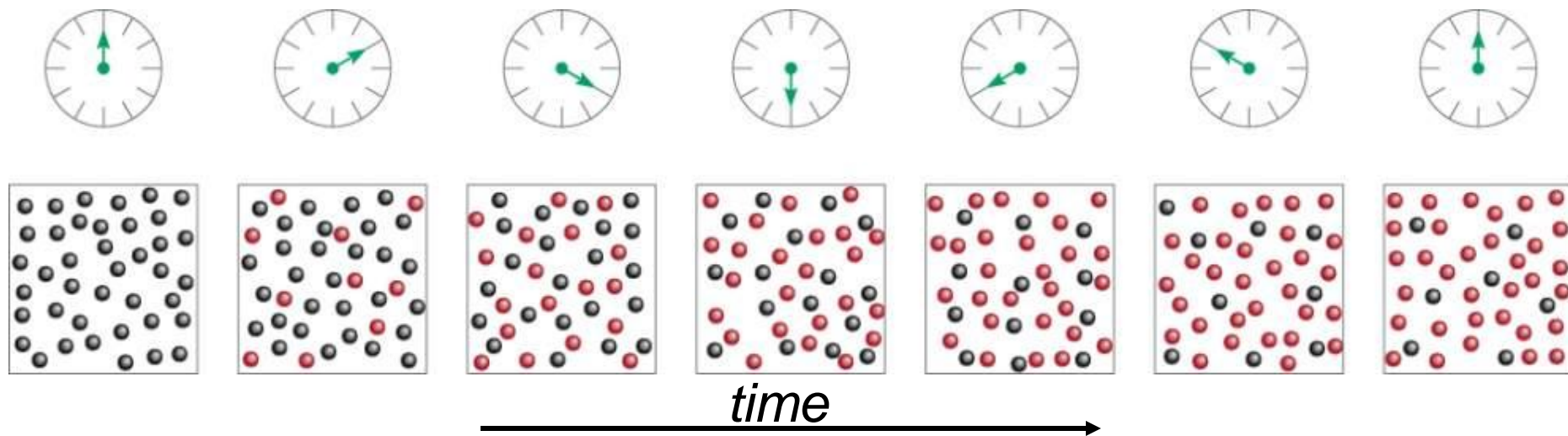
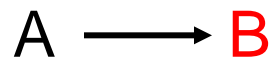
$$\text{rate} = - \frac{\Delta[A]}{\Delta t}$$

$\Delta[A]$  = change in concentration of A over time period  $\Delta t$

$$\text{rate} = \frac{\Delta[B]}{\Delta t}$$

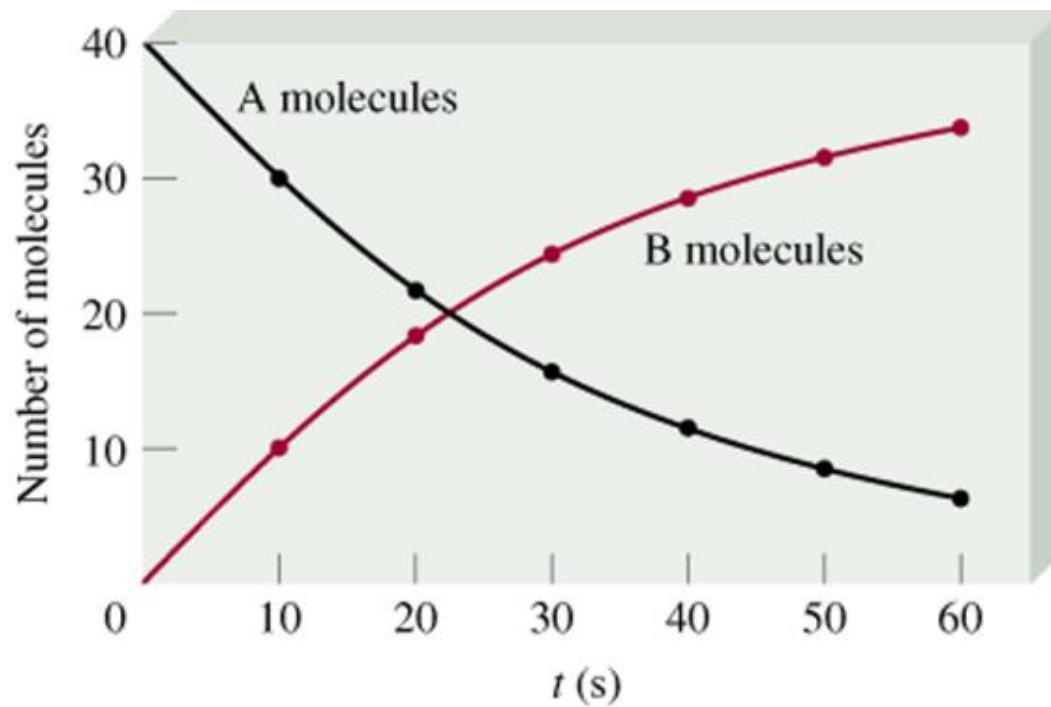
$\Delta[B]$  = change in concentration of B over time period  $\Delta t$

Because [A] decreases with time,  $\Delta[A]$  is negative.



$$\text{rate} = - \frac{\Delta[A]}{\Delta t}$$

$$\text{rate} = \frac{\Delta[B]}{\Delta t}$$



# Reaction Rates



Time, $t$ (s)	$[\text{C}_4\text{H}_9\text{Cl}]$ (M)
0.0	0.1000
50.0	0.0905
100.0	0.0820
150.0	0.0741
200.0	0.0671
300.0	0.0549
400.0	0.0448
500.0	0.0368
800.0	0.0200
10,000	0

In this reaction, the concentration of butyl chloride,  $\text{C}_4\text{H}_9\text{Cl}$ , was measured at various times.

# Reaction Rates



Time, $t$ (s)	$[\text{C}_4\text{H}_9\text{Cl}]$ (M)	Average Rate (M/s)
0.0	0.1000	
50.0	0.0905	$1.9 \times 10^{-4}$
100.0	0.0820	$1.7 \times 10^{-4}$
150.0	0.0741	$1.6 \times 10^{-4}$
200.0	0.0671	$1.4 \times 10^{-4}$
300.0	0.0549	$1.22 \times 10^{-4}$
400.0	0.0448	$1.01 \times 10^{-4}$
500.0	0.0368	$0.80 \times 10^{-4}$
800.0	0.0200	$0.560 \times 10^{-4}$
10,000	0	

The average rate of the reaction over each interval is the change in concentration divided by the change in time:

$$\text{Average rate} = \frac{\Delta[\text{C}_4\text{H}_9\text{Cl}]}{\Delta t}$$



# Reaction Rates



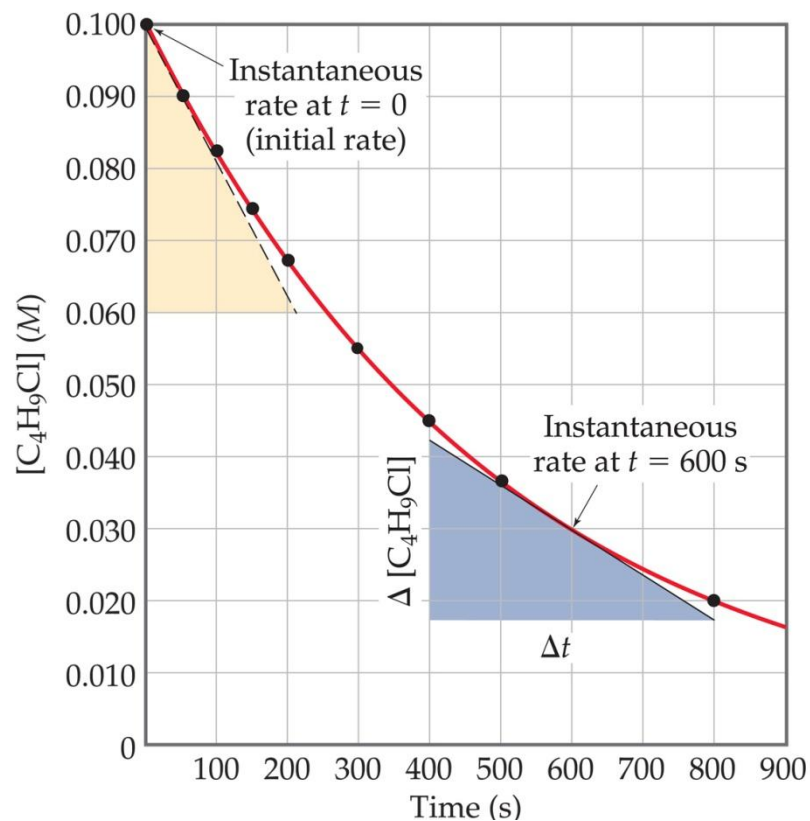
Time, $t$ (s)	$[\text{C}_4\text{H}_9\text{Cl}]$ (M)	Average Rate (M/s)
0.0	0.1000	$1.9 \times 10^{-4}$
50.0	0.0905	$1.7 \times 10^{-4}$
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400.0	0.0448	$0.80 \times 10^{-4}$
500.0	0.0368	$0.560 \times 10^{-4}$
800.0	0.0200	
10,000	0	

- Note that the average rate decreases as the reaction proceeds.
- This is because as the reaction goes forward, there are fewer collisions between reactant molecules.

# Reaction Rates



- A plot of concentration vs. time for this reaction yields a curve like this.
- The slope of a line tangent to the curve at any point is the instantaneous rate at that time.

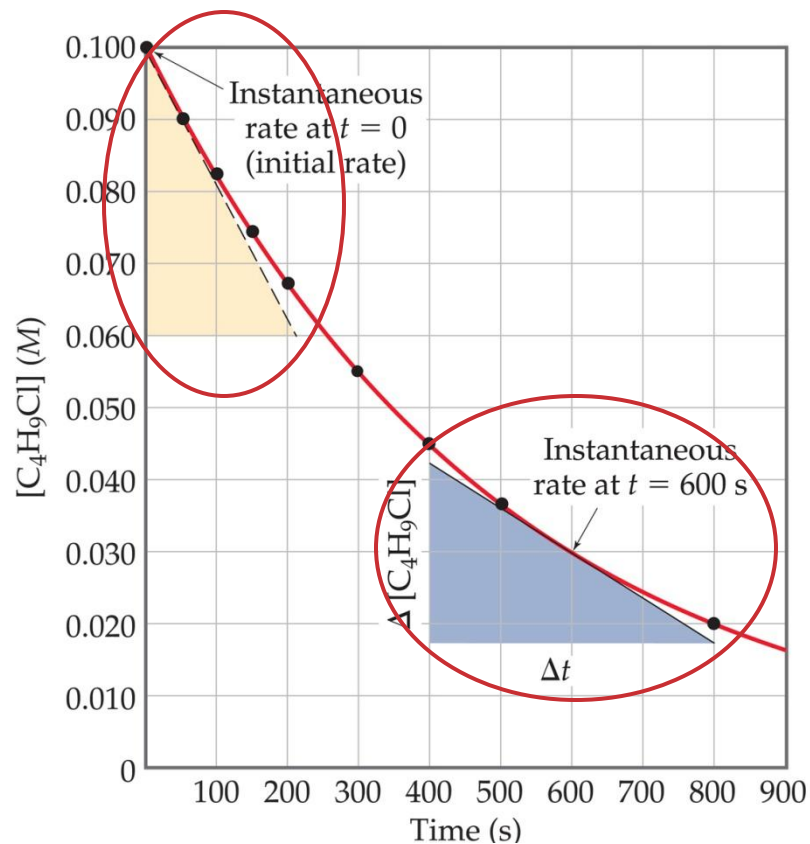




# Reaction Rates



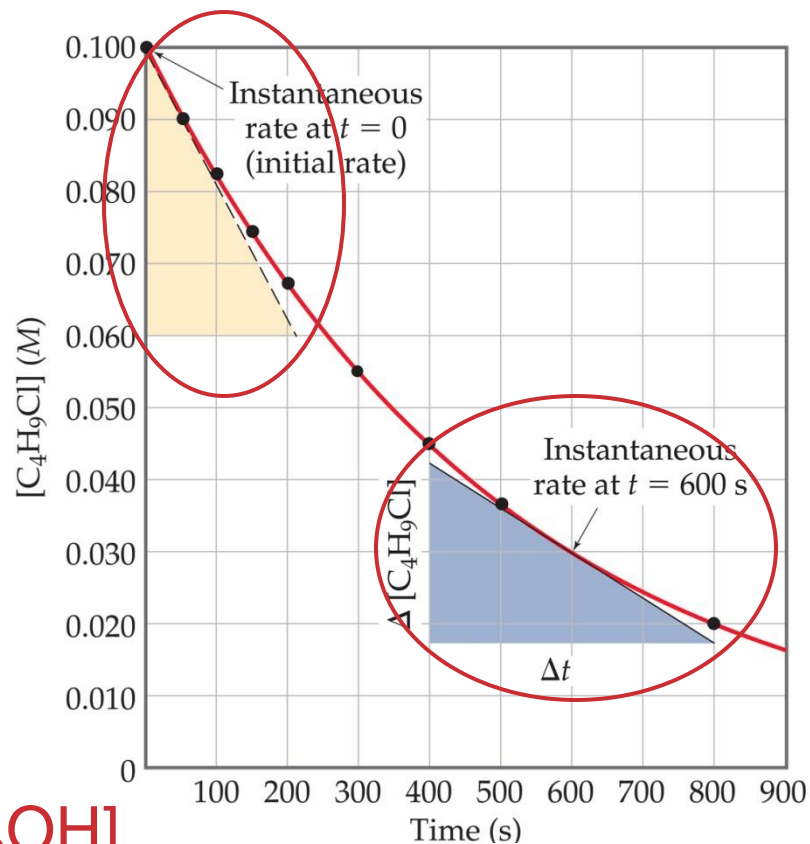
- All reactions slow down over time.
- Therefore, the best indicator of the rate of a reaction is the instantaneous rate near the beginning.



# Reaction Rates and Stoichiometry



- In this reaction, the ratio of  $\text{C}_4\text{H}_9\text{Cl}$  to  $\text{C}_4\text{H}_9\text{OH}$  is 1:1.
- Thus, the rate of disappearance of  $\text{C}_4\text{H}_9\text{Cl}$  is the same as the rate of appearance of  $\text{C}_4\text{H}_9\text{OH}$ .



$$\text{Rate} = \frac{-\Delta[\text{C}_4\text{H}_9\text{Cl}]}{\Delta t} = \frac{\Delta[\text{C}_4\text{H}_9\text{OH}]}{\Delta t}$$

# Reaction Rates and Stoichiometry

- What if the ratio is *not* 1:1?



- Therefore,

$$\text{Rate} = -\frac{1}{2} \frac{\Delta[\text{HI}]}{\Delta t} = \frac{\Delta[\text{I}_2]}{\Delta t}$$



# Reaction Rates and Stoichiometry

- To generalize, then, for the reaction



$$\text{Rate} = -\frac{1}{a} \frac{\Delta[A]}{\Delta t} = -\frac{1}{b} \frac{\Delta[B]}{\Delta t} = \frac{1}{c} \frac{\Delta[C]}{\Delta t} = \frac{1}{d} \frac{\Delta[D]}{\Delta t}$$



# Concentration and Rate

One can gain information about the rate of a reaction by seeing how the rate changes with changes in concentration.

Experiment Number	Initial $\text{NH}_4^+$ Concentration (M)	Initial $\text{NO}_2^-$ Concentration (M)	Observed Initial Rate (M/s)
1	0.0100	0.200	$5.4 \times 10^{-7}$
2	0.0200	0.200	$10.8 \times 10^{-7}$
3	0.0400	0.200	$21.5 \times 10^{-7}$
4	0.0600	0.200	$32.3 \times 10^{-7}$
5	0.200	0.0202	$10.8 \times 10^{-7}$
6	0.200	0.0404	$21.6 \times 10^{-7}$
7	0.200	0.0606	$32.4 \times 10^{-7}$
8	0.200	0.0808	$43.3 \times 10^{-7}$



Comparing Experiments 1 and 2, when  $[\text{NH}_4^+]$  doubles, the initial rate doubles.

# Concentration and Rate

Experiment Number	Initial $\text{NH}_4^+$ Concentration (M)	Initial $\text{NO}_2^-$ Concentration (M)	Observed Initial Rate (M/s)
1	0.0100	0.200	$5.4 \times 10^{-7}$
2	0.0200	0.200	$10.8 \times 10^{-7}$
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5	0.200	0.0202	$10.8 \times 10^{-7}$
6	0.200	0.0404	$21.6 \times 10^{-7}$
7	0.200	0.0606	$32.4 \times 10^{-7}$
8	0.200	0.0808	$43.3 \times 10^{-7}$



Likewise, comparing Experiments 5 and 6, when  $[\text{NO}_2^-]$  doubles, the initial rate doubles.



# Concentration and Rate

- This means

$$\text{Rate} \propto [\text{NH}_4^+]$$

$$\text{Rate} \propto [\text{NO}_2^-]$$

$$\text{Rate} \propto [\text{NH}_4^+] [\text{NO}_2^-]$$

or

$$\text{Rate} = k [\text{NH}_4^+] [\text{NO}_2^-]$$

- This equation is called the **rate law**, and ***k*** is the **rate constant**.



# Rate Laws

- A rate law shows the relationship between the reaction rate and the concentrations of reactants.
- The exponents tell the **order** of the reaction with respect to each reactant.
- This reaction is
  - First-order in  $[\text{NH}_4^+]$
  - First-order in  $[\text{NO}_2^-]$
- The **overall reaction order** can be found by adding the exponents on the reactants in the rate law.
- This reaction is **second-order overall**.



# The Rate Law

The **rate law** expresses the relationship of the rate of a reaction to the rate constant and the concentrations of the reactants raised to some powers.

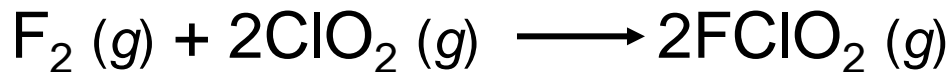


$$\text{Rate} = k [A]^x [B]^y$$

reaction is **xth order** in A

reaction is **yth order** in B

reaction is **(x + y)th order overall**



**Table 13.2** Rate Data for the Reaction between  $\text{F}_2$  and  $\text{ClO}_2$

	$[\text{F}_2](M)$	$[\text{ClO}_2](M)$	Initial Rate (M/s)
1.	0.10	0.010	$1.2 \times 10^{-3}$
2.	0.10	0.040	$4.8 \times 10^{-3}$
3.	0.20	0.010	$2.4 \times 10^{-3}$

$$\text{rate} = k [\text{F}_2]^x [\text{ClO}_2]^y$$

Double  $[\text{F}_2]$  with  $[\text{ClO}_2]$  constant

Rate doubles

$$x = 1$$

Quadruple  $[\text{ClO}_2]$  with  $[\text{F}_2]$  constant

Rate quadruples

$$y = 1$$

$$\text{rate} = k [\text{F}_2][\text{ClO}_2]$$

Run #	Initial [A] ([A] <sub>0</sub> )	Initial [B] ([B] <sub>0</sub> )	Initial Rate (v <sub>0</sub> )
1	1.00 M	1.00 M	1.25 x 10 <sup>-2</sup> M/s
2	1.00 M	2.00 M	2.5 x 10 <sup>-2</sup> M/s
3	2.00 M	2.00 M	2.5 x 10 <sup>-2</sup> M/s

What is the order with respect to A? 0

What is the order with respect to B? 1

What is the overall order of the reaction? 1



$[\text{NO}_{(g)}]$ (mol dm <sup>-3</sup> )	$[\text{Cl}_{2(g)}]$ (mol dm <sup>-3</sup> )	Initial Rate (mol dm <sup>-3</sup> s <sup>-1</sup> )
0.250	0.250	$1.43 \times 10^{-6}$
0.250	0.500	$2.86 \times 10^{-6}$
0.500	0.500	$1.14 \times 10^{-5}$

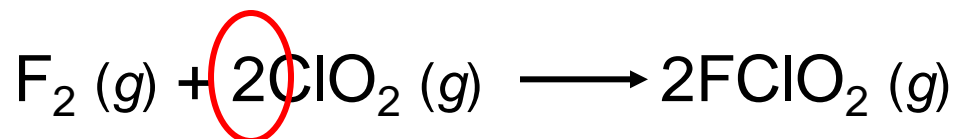
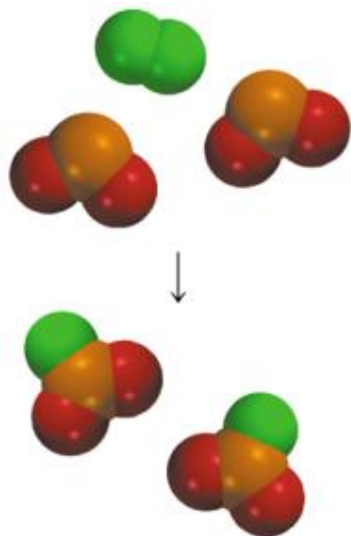
What is the order with respect to  $\text{Cl}_2$ ? 1

What is the order with respect to NO? 2

What is the overall order of the reaction? 3

# Rate Laws

- Rate laws are **always** determined experimentally.
- Reaction order is **always** defined in terms of reactant (not product) concentrations.
- The order of a reactant **is not** related to the stoichiometric coefficient of the reactant in the balanced chemical equation.



$$\text{rate} = k [\text{F}_2][\text{ClO}_2]^1$$



Determine the rate law and calculate the rate constant for the following reaction from the following data:



Experiment	$[\text{S}_2\text{O}_8^{2-}]$	$[\text{I}^-]$	Initial Rate (M/s)
1	0.08	0.034	$2.2 \times 10^{-4}$
2	0.08	0.017	$1.1 \times 10^{-4}$
3	0.16	0.017	$2.2 \times 10^{-4}$

$$\text{rate} = k [\text{S}_2\text{O}_8^{2-}]^x [\text{I}^-]^y$$

$$y = 1$$

$$x = 1$$

$$\text{rate} = k [\text{S}_2\text{O}_8^{2-}] [\text{I}^-]$$

Double  $[\text{I}^-]$ , rate doubles (experiment 1 & 2)

Double  $[\text{S}_2\text{O}_8^{2-}]$ , rate doubles (experiment 2 & 3)

$$k = \frac{\text{rate}}{[\text{S}_2\text{O}_8^{2-}] [\text{I}^-]} = \frac{2.2 \times 10^{-4} \text{ M/s}}{(0.08 \text{ M})(0.034 \text{ M})} = 0.08/\text{M}\cdot\text{s}$$

# Integrated Rate Laws

Using calculus to integrate the rate law for a first-order process gives us

$$\ln \frac{[A]_t}{[A]_0} = -kt$$

Where

$[A]_0$  is the initial concentration of A.

$[A]_t$  is the concentration of A at some time,  $t$ , during the course of the reaction.

# Integrated Rate Laws

Manipulating this equation produces...

$$\ln \frac{[A]_t}{[A]_0} = -kt$$

$$\ln [A]_t - \ln [A]_0 = -kt$$

$$\ln [A]_t = -kt + \ln [A]_0$$

...which is in the form

$$y = mx + b$$





# First-Order Processes

$$\ln [A]_t = -kt + \ln [A]_0$$

Therefore, if a reaction is first-order, a plot of  $\ln [A]$  vs.  $t$  will yield a straight line, and the slope of the line will be  $-k$ .



# First-Order Reactions (other forms of equations)

$$\text{rate} = - \frac{\Delta[A]}{\Delta t}$$

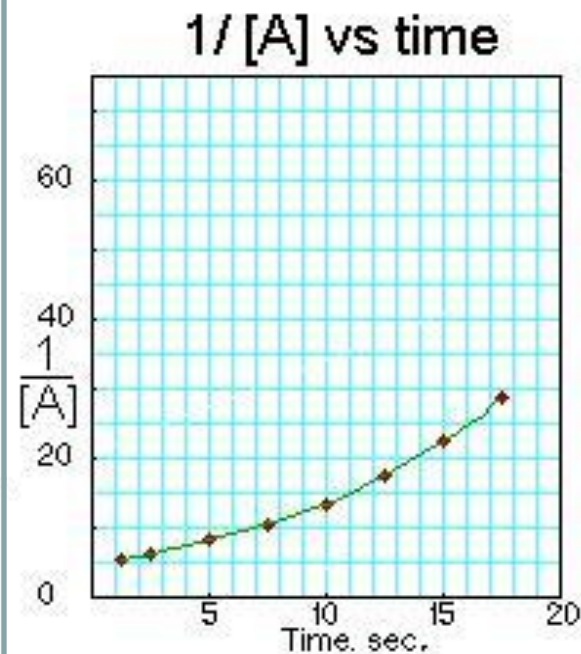
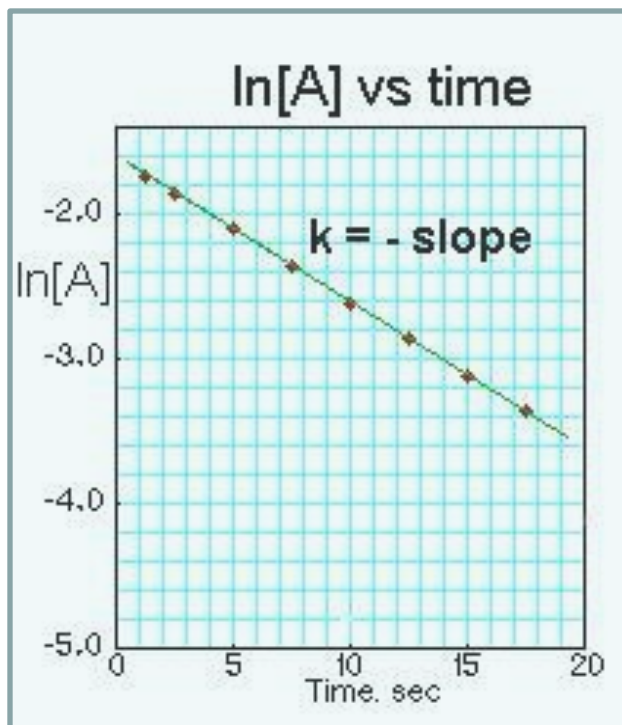
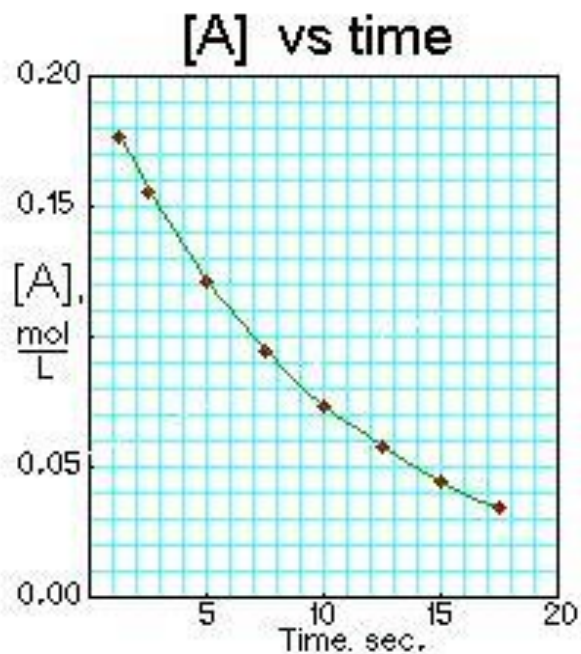
$$\text{rate} = k [A]$$

$$[A] = [A]_0 e^{-kt}$$

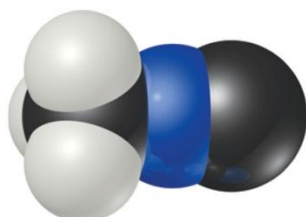
$$\ln[A] - \ln[A]_0 = -kt$$

$[A]$  is the concentration of A at any time  $t$

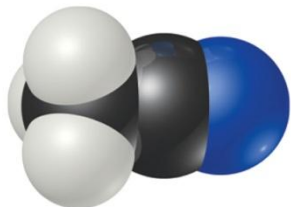
$[A]_0$  is the concentration of A at time  $t=0$



# First-Order Processes



Methyl isonitrile



Acetonitrile

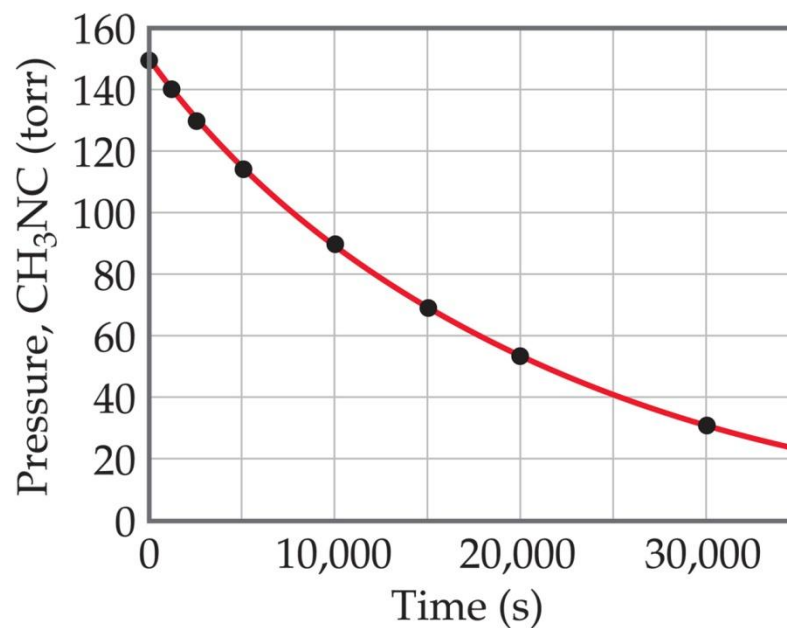
Consider the process in which methyl isonitrile is converted to acetonitrile.



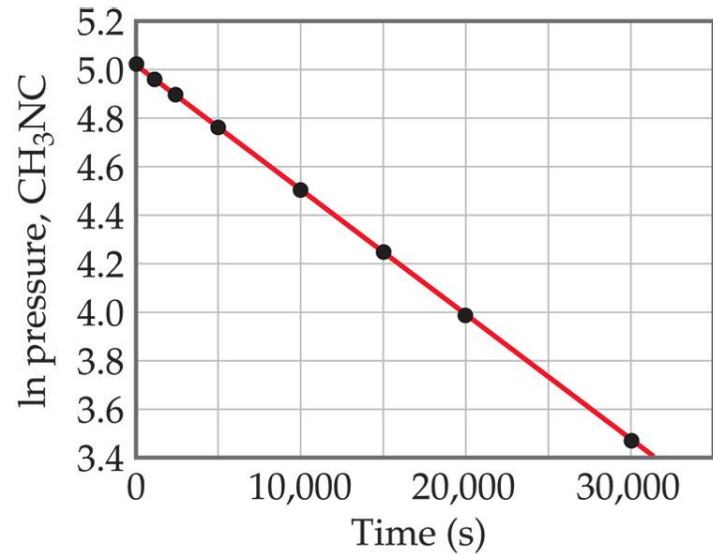
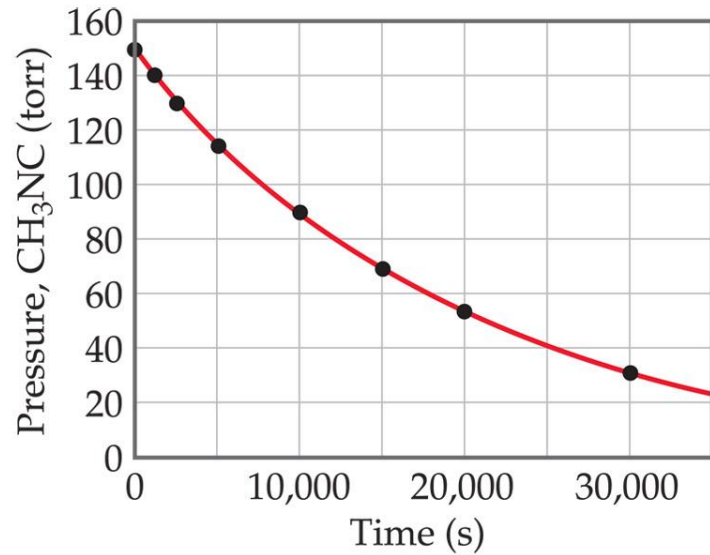
# First-Order Processes



This data was collected for this reaction at  $198.9^\circ \text{C}$ .



# First-Order Processes



- When  $\ln P$  is plotted as a function of time, a straight line results.
- Therefore,
  - The process is first-order.
  - $k$  is the negative slope:  $5.1 \times 10^{-5} \text{ s}^{-1}$ .



The reaction  $2A \longrightarrow B$  is first order in A with a rate constant of  $2.8 \times 10^{-2} \text{ s}^{-1}$  at  $80^\circ\text{C}$ . How long will it take for A to decrease from  $0.88 \text{ M}$  to  $0.14 \text{ M}$ ?

$$[A] = [A]_0 e^{-kt}$$

$$[A]_0 = 0.88 \text{ M}$$

$$\ln[A] - \ln[A]_0 = -kt$$

$$[A] = 0.14 \text{ M}$$

$$\ln[A]_0 - \ln[A] = kt$$


$$t = \frac{\ln[A]_0 - \ln[A]}{k} = \frac{\ln \frac{[A]_0}{[A]}}{k} = \frac{\ln \frac{0.88 \cancel{\text{M}}}{0.14 \cancel{\text{M}}}}{2.8 \times 10^{-2} \text{ s}^{-1}} = 66 \text{ s}$$

# First-Order Reactions

The **half-life**,  $t_{1/2}$ , is the time required for the concentration of a reactant to decrease to half of its initial concentration.

$$t_{1/2} = t \text{ when } [A] = [A]_0/2$$

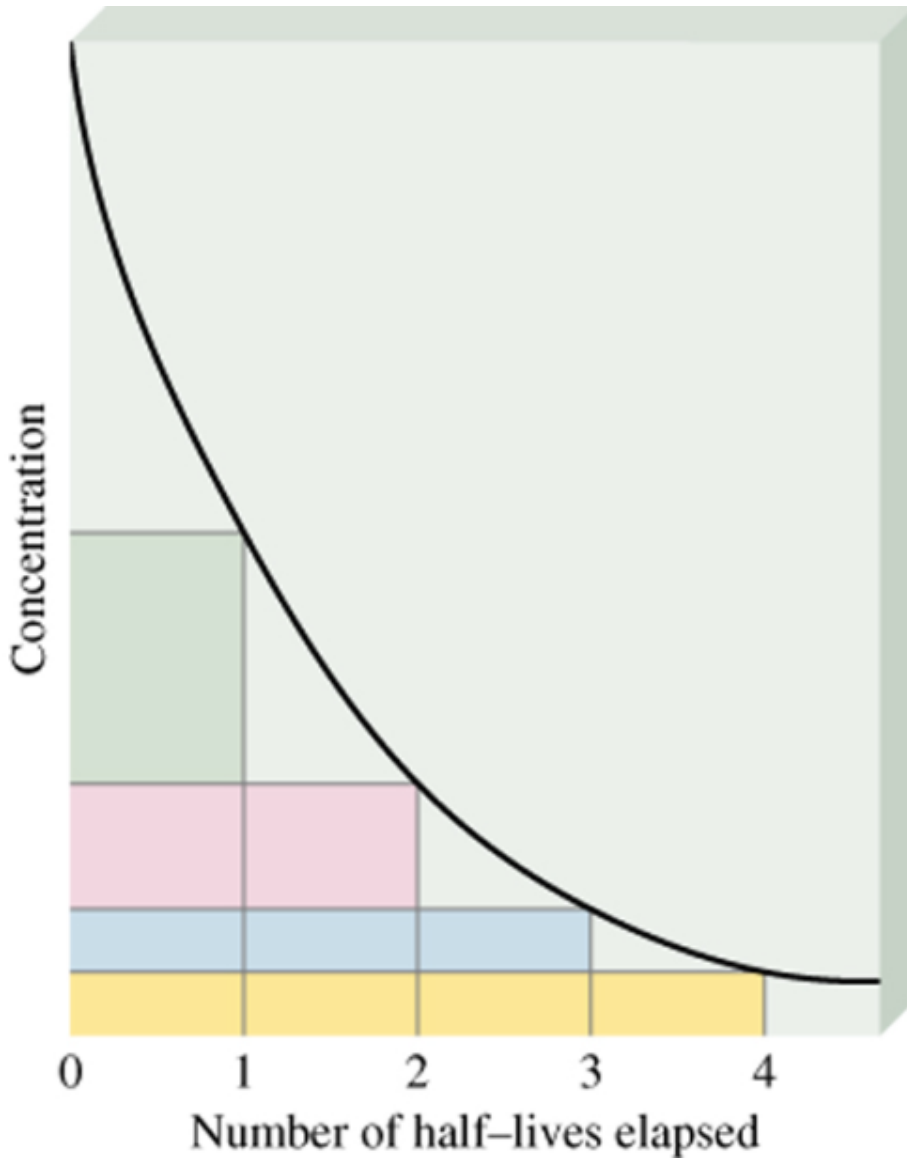
$$t_{1/2} = \frac{\ln \frac{\cancel{[A]}_0}{\cancel{[A]}_0/2}}{k} = \frac{\ln 2}{k} = \boxed{\frac{0.693}{k}}$$

 What is the half-life of  $\text{N}_2\text{O}_5$  if it decomposes with a rate constant of  $5.7 \times 10^{-4} \text{ s}^{-1}$ ?

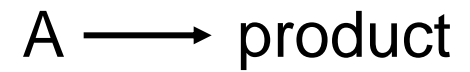
$$t_{1/2} = \frac{\ln 2}{k} = \frac{0.693}{5.7 \times 10^{-4} \text{ s}^{-1}} = 1200 \text{ s} = 20 \text{ minutes}$$

How do you know decomposition is first order?

units of  $k$  ( $\text{s}^{-1}$ )

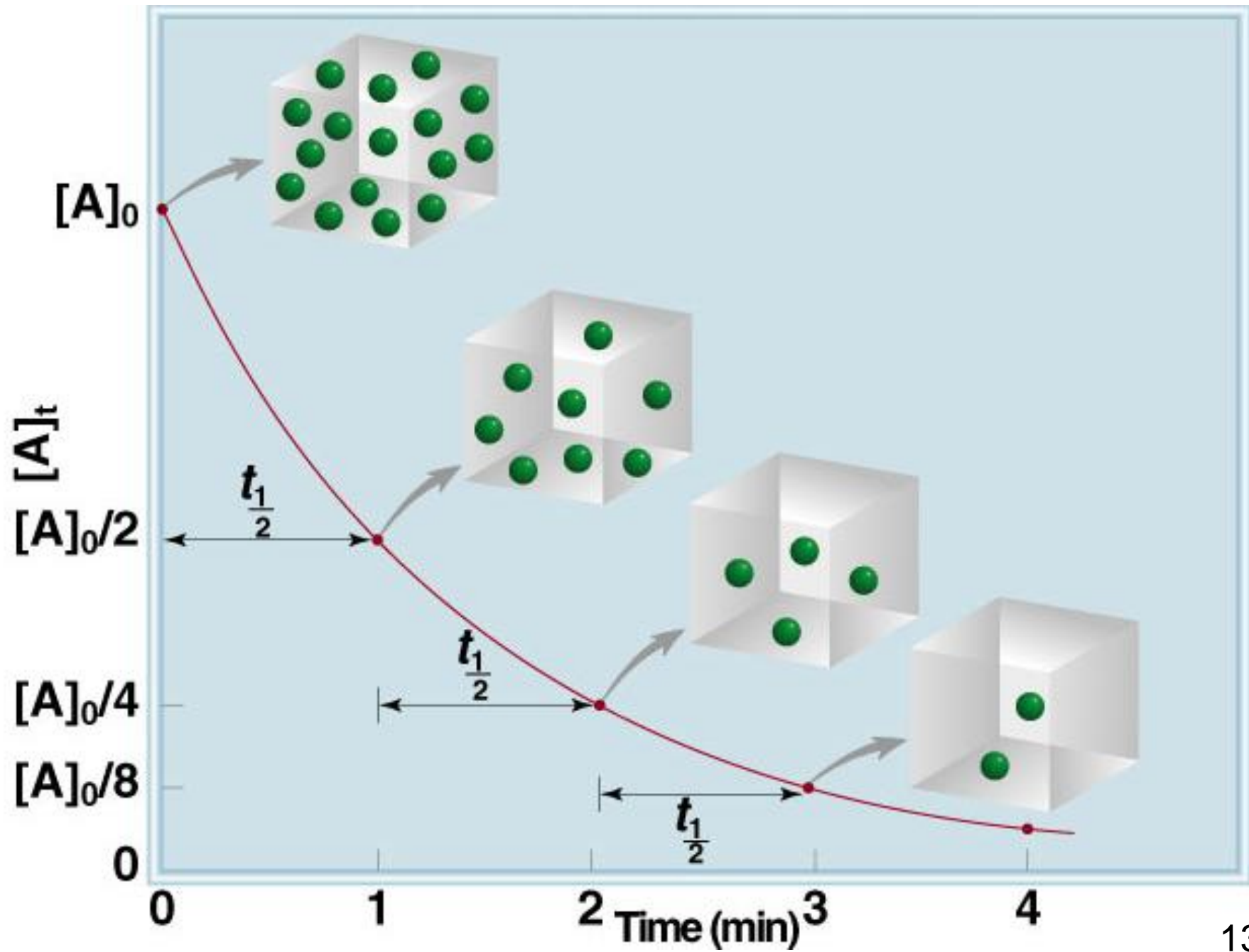


## First-order reaction



<u># of half-lives</u>	<u><math>[A] = [A]_0/n</math></u>
1	2
2	4
3	8
4	16





# Second-Order Reactions

$$\text{rate} = - \frac{\Delta[A]}{\Delta t}$$

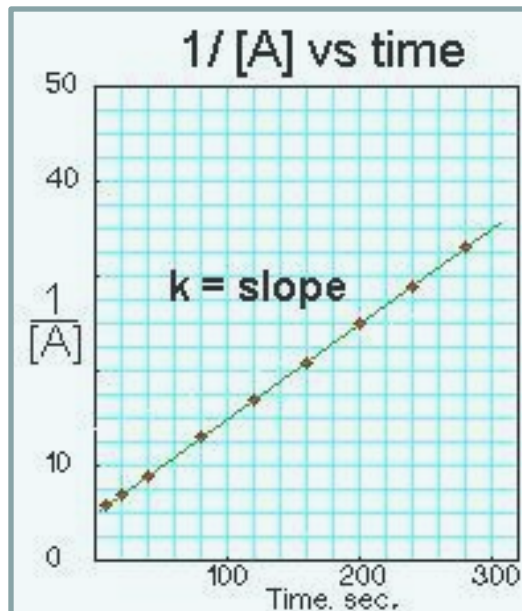
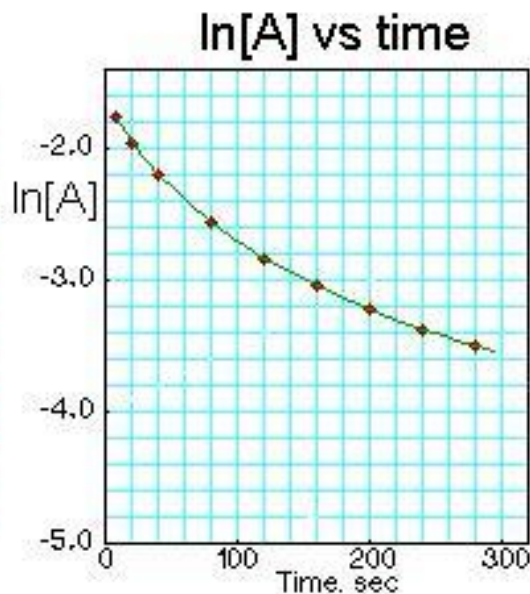
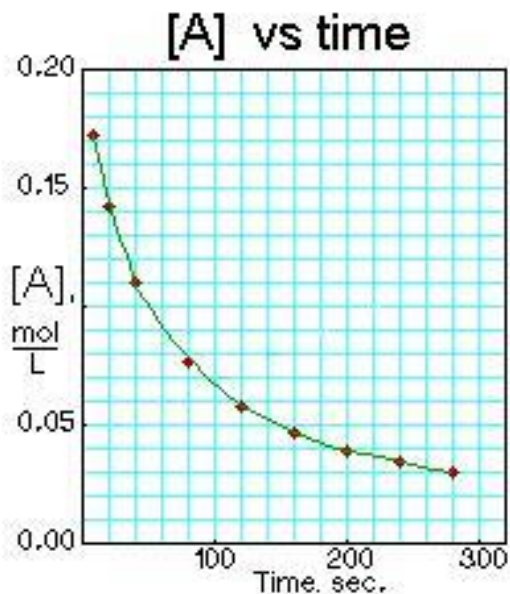
rate =  $k [A]^2$  [A] is the concentration of A at any time  $t$   
[A]<sub>0</sub> is the concentration of A at time  $t=0$

$$\frac{1}{[A]} - \frac{1}{[A]_0} = kt$$

## Half life for second order

$t_{1/2} = t$  when  $[A] = [A]_0/2$

$$t_{1/2} = \frac{1}{k[A]_0}$$



# Second-Order Processes

Similarly, integrating the rate law for a process that is second-order in reactant A, we get

$$\frac{1}{[A]_t} = -kt + \frac{1}{[A]_0}$$

also in the form

$$y = mx + b$$



# Second-Order Processes

$$\frac{1}{[A]_t} = -kt + \frac{1}{[A]_0}$$

So if a process is second-order in A, a plot of  $1/[A]$  vs.  $t$  will yield a straight line, and the slope of that line is  $k$ .

# Second-Order Processes

The decomposition of  $\text{NO}_2$  at  $300^\circ \text{C}$  is described by the equation



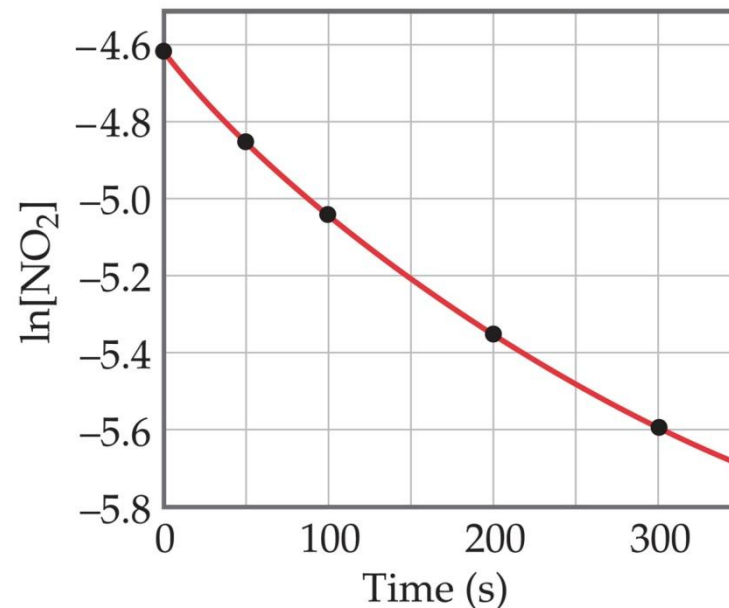
and yields data comparable to this:

Time (s)	$[\text{NO}_2], M$
0.0	0.01000
50.0	0.00787
100.0	0.00649
200.0	0.00481
300.0	0.00380



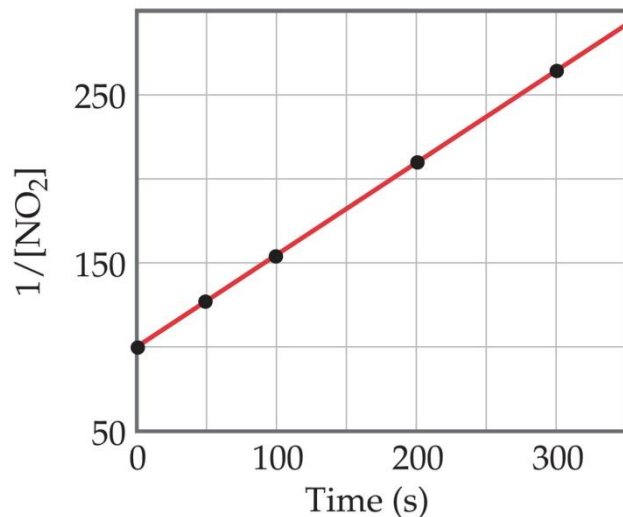
# Second-Order Processes

- Graphing  $\ln [\text{NO}_2]$  vs.  $t$  yields:
- The plot is *not* a straight line, so the process is *not* first-order in  $[\text{A}]$ .



Time (s)	$[\text{NO}_2], M$	$\ln [\text{NO}_2]$
0.0	0.01000	-4.610
50.0	0.00787	-4.845
100.0	0.00649	-5.038
200.0	0.00481	-5.337
300.0	0.00380	-5.573

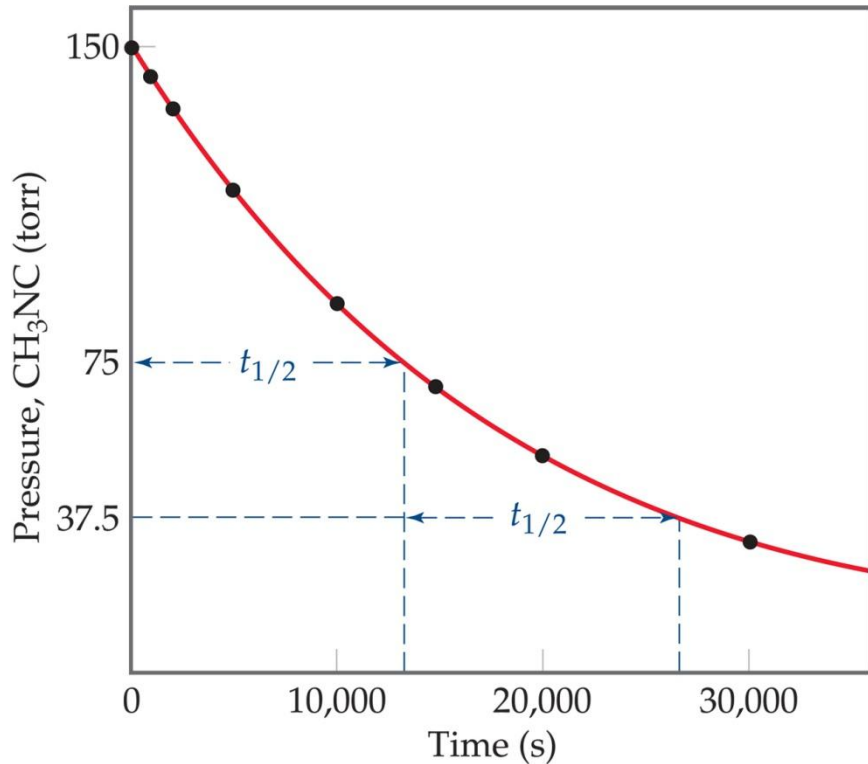
# Second-Order Processes



- Graphing  $\ln 1/[\text{NO}_2]$  vs.  $t$ , however, gives this plot.
- Because this *is* a straight line, the process is second-order in  $[\text{A}]$ .

Time (s)	$[\text{NO}_2], M$	$1/[\text{NO}_2]$
0.0	0.01000	100
50.0	0.00787	127
100.0	0.00649	154
200.0	0.00481	208
300.0	0.00380	263

# Half-Life



- Half-life is defined as the time required for one-half of a reactant to react.
- Because  $[A]$  at  $t_{1/2}$  is one-half of the original  $[A]$ ,  
$$[A]_t = 0.5 [A]_0.$$



# Half-Life

For a first-order process, this becomes

$$\ln \frac{0.5 [A]_0}{[A]_0} = -kt_{1/2}$$

$$\ln 0.5 = -kt_{1/2}$$

$$-0.693 = -kt_{1/2}$$

$$\frac{0.693}{k} = t_{1/2}$$

NOTE: For a first-order process, the half-life does not depend on  $[A]_0$ .



# Half-Life

For a second-order process,

$$\frac{1}{0.5 [A]_0} = kt_{1/2} + \frac{1}{[A]_0}$$

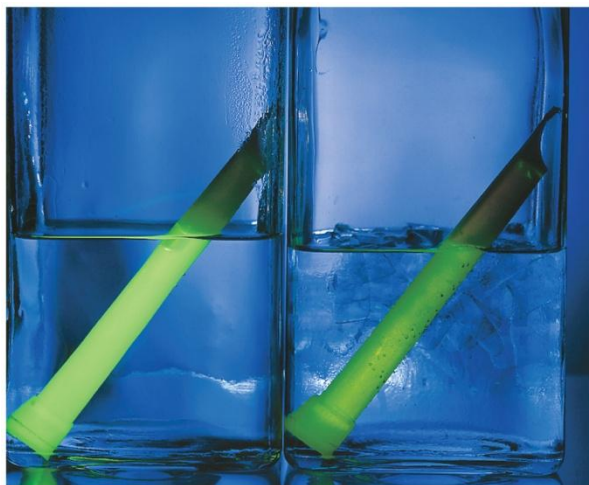
$$\frac{2}{[A]_0} = kt_{1/2} + \frac{1}{[A]_0}$$

$$\frac{2 - 1}{[A]_0} = \frac{1}{[A]_0} = kt_{1/2}$$

$$\frac{1}{k[A]_0} = t_{1/2}$$



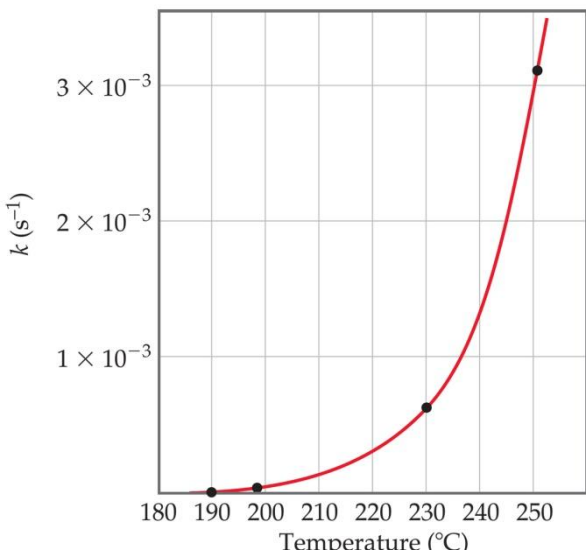
# Temperature and Rate



Higher temperature

Lower temperature

- Generally, as temperature increases, so does the reaction rate.
- This is because  $k$  is temperature dependent.

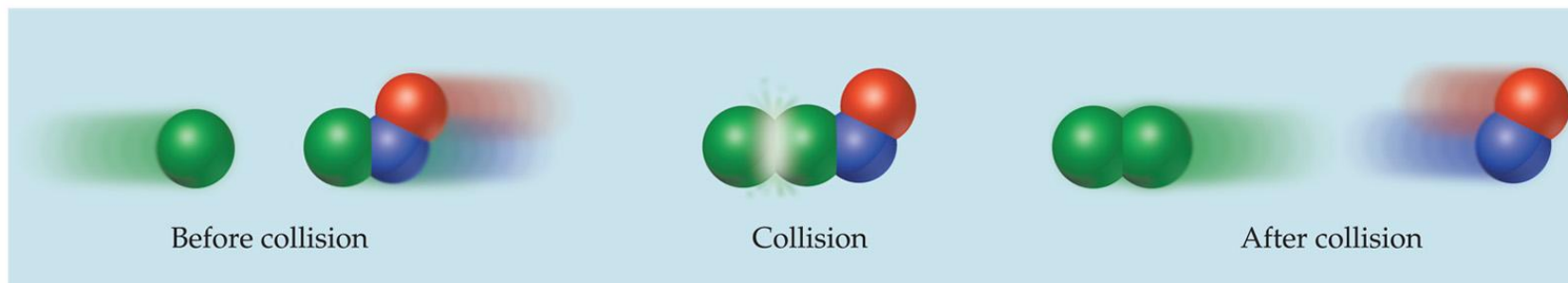


# The Collision Model

- In a chemical reaction, bonds are broken and new bonds are formed.
- Molecules can only react if they collide with each other.

# The Collision Model

Furthermore, molecules must collide with the **correct orientation** and with enough **energy** to cause bond breakage and formation.



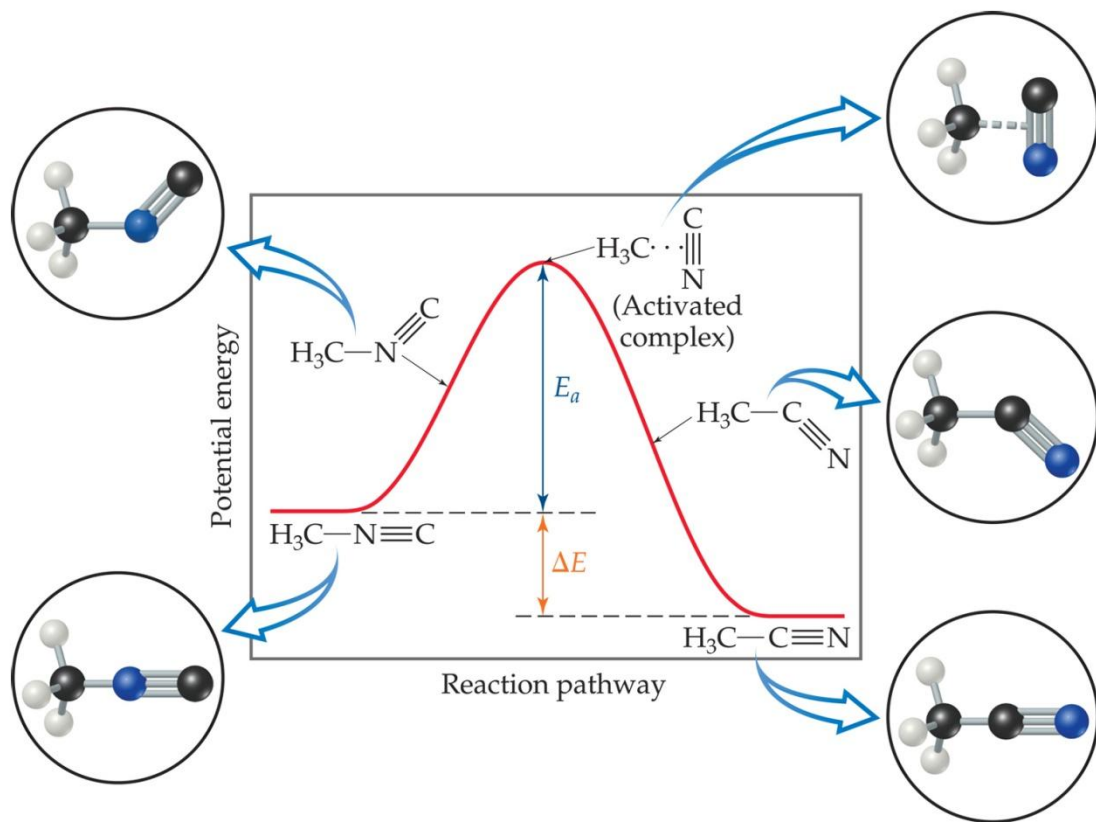
# Activation Energy

- In other words, there is a minimum amount of energy required for reaction: the **activation energy**,  $E_a$ .
- Just as a ball cannot get over a hill if it does not roll up the hill with enough energy, a reaction cannot occur unless the molecules possess sufficient energy to get over the activation energy barrier.



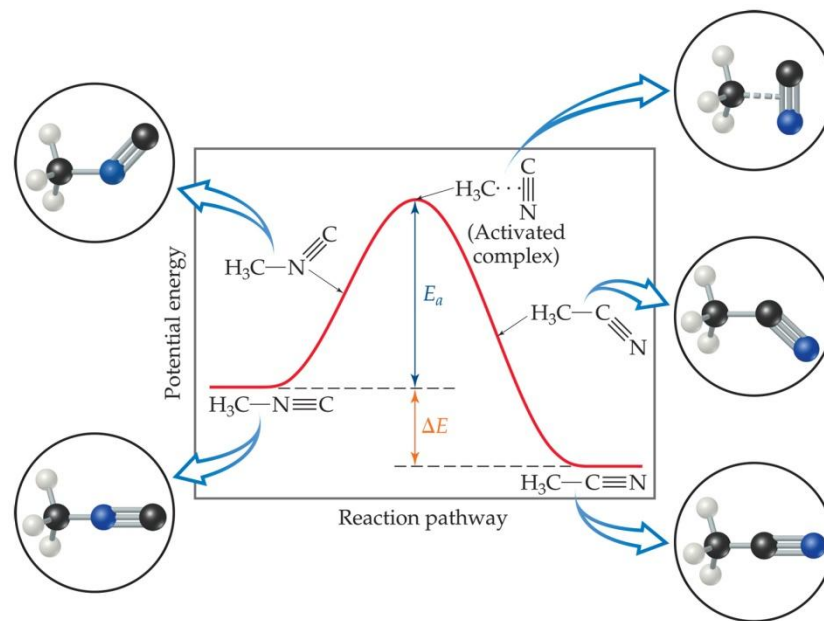
# Reaction Coordinate Diagrams

It is helpful to visualize energy changes throughout a process on a reaction coordinate diagram like this one for the rearrangement of methyl isonitrile.



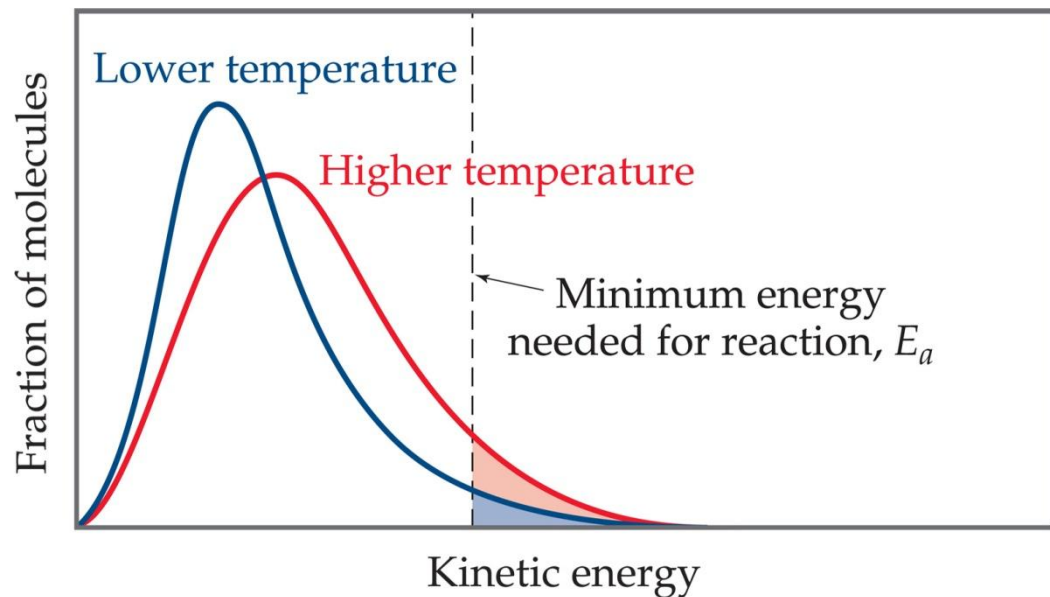
# Reaction Coordinate Diagrams

- It shows the energy of the reactants and products (and, therefore,  $\Delta E$ ).
- The high point on the diagram is the **transition state**.
- The species present at the transition state is called the **activated complex**.
- The energy gap between the reactants and the activated complex is the activation energy barrier.



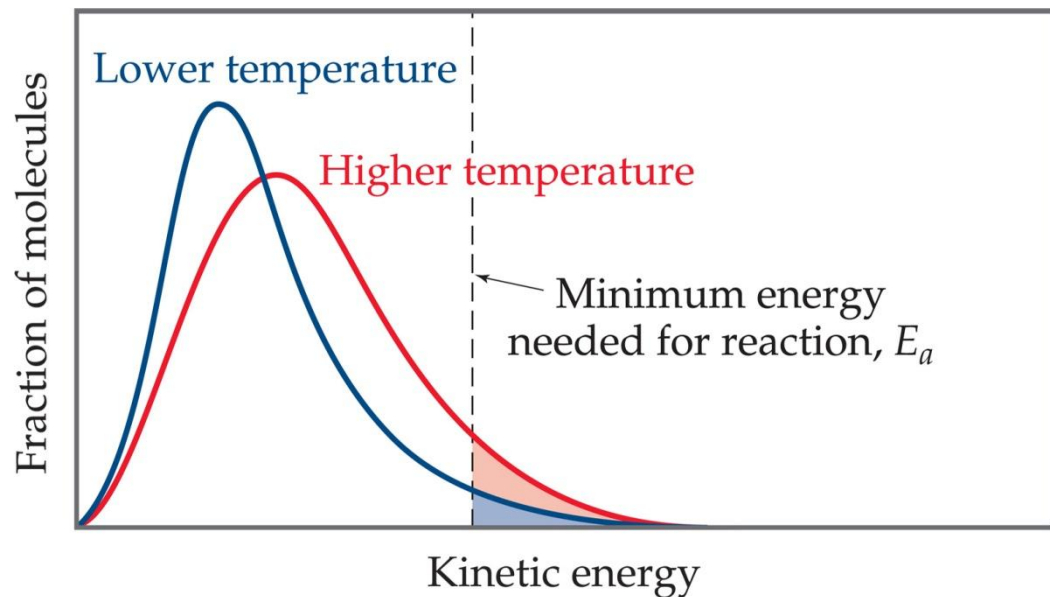


# Maxwell–Boltzmann Distributions



- Temperature is defined as a measure of the average kinetic energy of the molecules in a sample.
- At any temperature there is a wide distribution of kinetic energies.

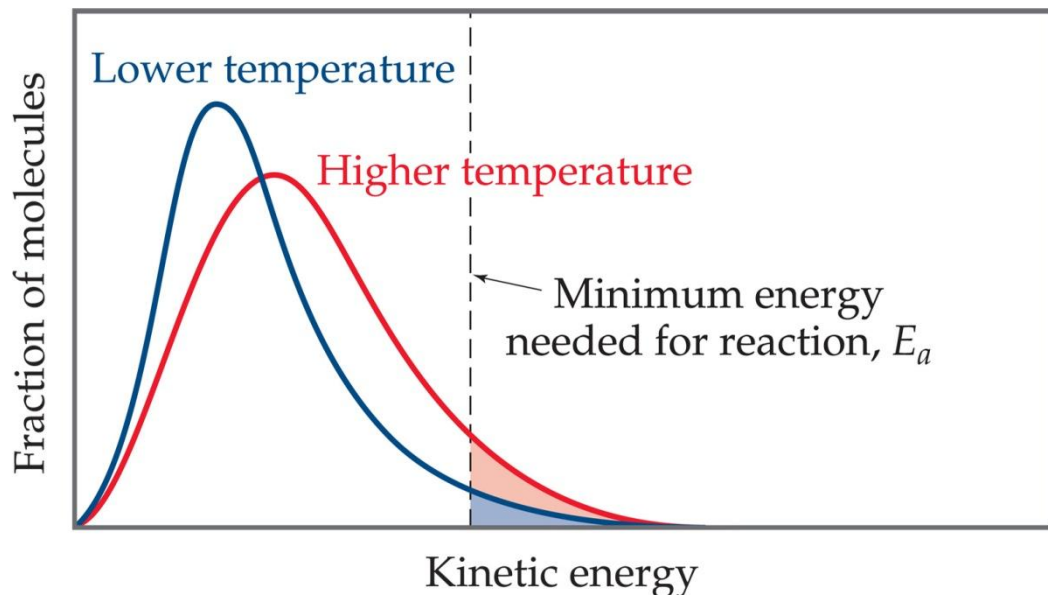
# Maxwell–Boltzmann Distributions



- As the temperature increases, the curve flattens and broadens.
- Thus at higher temperatures, a larger population of molecules has higher energy.

# Maxwell–Boltzmann Distributions

- If the dotted line represents the activation energy, as the temperature increases, so does the fraction of molecules that can overcome the activation energy barrier.



- As a result, the reaction rate increases.

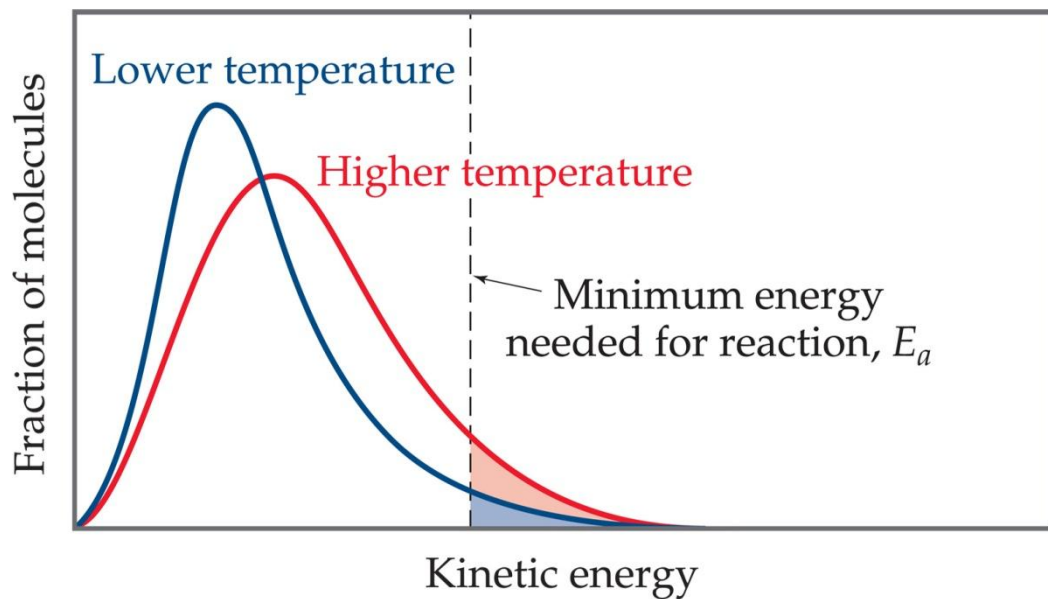


# Maxwell–Boltzmann Distributions

This fraction of molecules can be found through the expression

$$f = e^{-E_a/RT}$$

where  $R$  is the gas constant and  $T$  is the Kelvin temperature.



# Arrhenius Equation

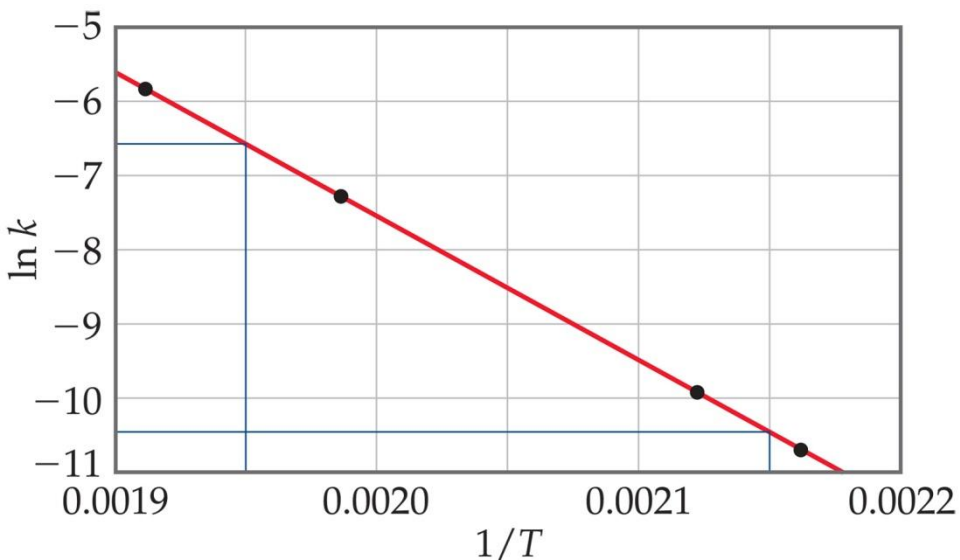
Svante Arrhenius developed a mathematical relationship between  $k$  and  $E_a$ :

$$k = A e^{-E_a/RT}$$

where  $A$  is the **frequency factor**, a number that represents the likelihood that collisions would occur with the proper orientation for reaction.



# Arrhenius Equation



Taking the natural logarithm of both sides, the equation becomes

$$\ln k = -E_a \left( \frac{1}{RT} \right) + \ln A$$
$$y = mx + b$$

Therefore, if  $k$  is determined experimentally at several temperatures,  $E_a$  can be calculated from the slope of a plot of  $\ln k$  vs.  $1/T$ .



# Reaction Mechanisms

The sequence of events that describes the actual process by which reactants become products is called the **reaction mechanism**.

- Reactions may occur all at once or through several discrete steps.
- Each of these processes is known as an **elementary reaction** or **elementary process**.

# Reaction Mechanisms

Molecularity	Elementary Reaction	Rate Law
<i>Unimolecular</i>	$A \longrightarrow \text{products}$	Rate = $k[A]$
<i>Bimolecular</i>	$A + A \longrightarrow \text{products}$	Rate = $k[A]^2$
<i>Bimolecular</i>	$A + B \longrightarrow \text{products}$	Rate = $k[A][B]$
<i>Termolecular</i>	$A + A + A \longrightarrow \text{products}$	Rate = $k[A]^3$
<i>Termolecular</i>	$A + A + B \longrightarrow \text{products}$	Rate = $k[A]^2[B]$
<i>Termolecular</i>	$A + B + C \longrightarrow \text{products}$	Rate = $k[A][B][C]$

The **molecularity** of a process tells how many molecules are involved in the process.

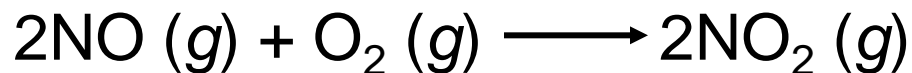




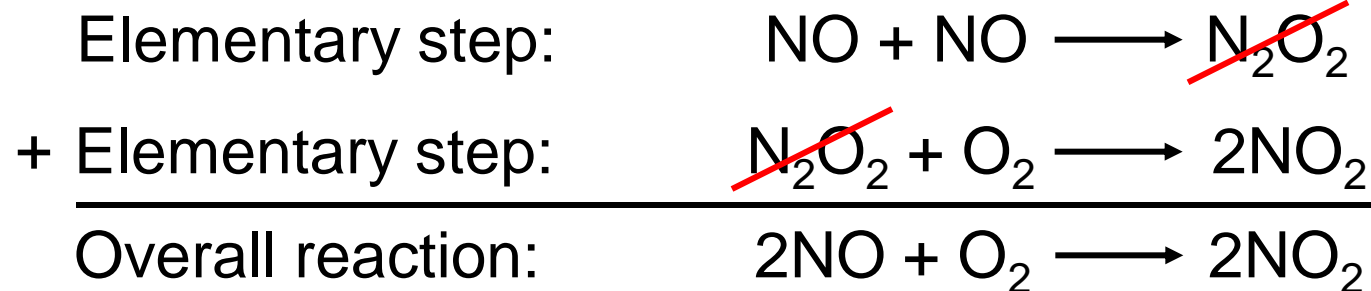
# Reaction Mechanisms

The overall progress of a chemical reaction can be represented at the molecular level by a series of simple ***elementary steps*** or ***elementary reactions***.

The sequence of ***elementary steps*** that leads to product formation is the ***reaction mechanism***.

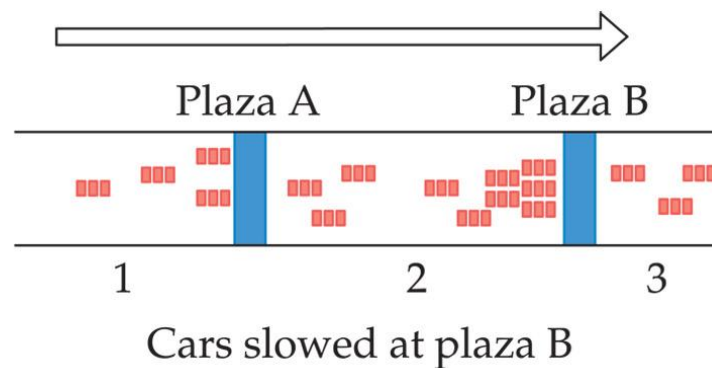
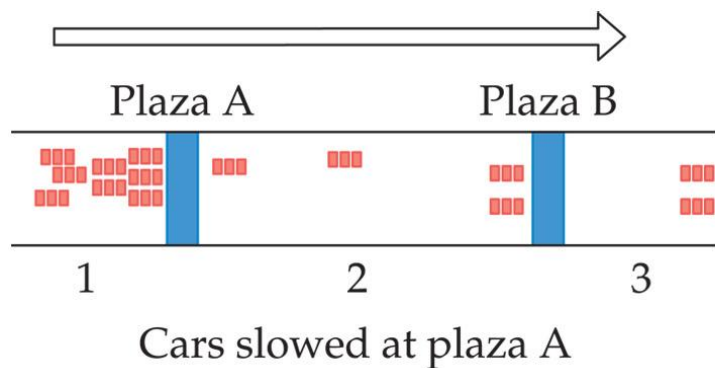


$\text{N}_2\text{O}_2$  is detected during the reaction!



# Multistep Mechanisms

- In a multistep process, one of the steps will be slower than all others.
- The overall reaction cannot occur faster than this slowest, **rate-determining step**.



# Slow Initial Step



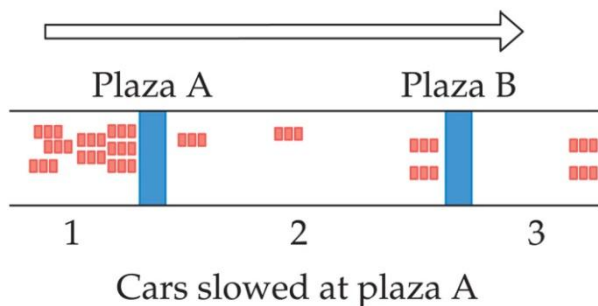
- The rate law for this reaction is found experimentally to be

$$\text{Rate} = k [\text{NO}_2]^2$$

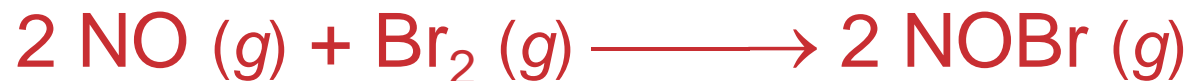
- CO is necessary for this reaction to occur, but the *rate* of the reaction does not depend on its concentration.
- This suggests the reaction occurs in two steps.

# Slow Initial Step

- A proposed mechanism for this reaction is
  - Step 1:  $\text{NO}_2 + \text{NO}_2 \longrightarrow \text{NO}_3 + \text{NO}$  (slow)
  - Step 2:  $\text{NO}_3 + \text{CO} \longrightarrow \text{NO}_2 + \text{CO}_2$  (fast)
- The  $\text{NO}_3$  intermediate is consumed in the second step.
- As  $\text{CO}$  is not involved in the slow, rate-determining step, it does not appear in the rate law.



# Fast Initial Step



- The rate law for this reaction is found to be

$$\text{Rate} = k [\text{NO}]^2 [\text{Br}_2]$$

- Because termolecular processes are rare, this rate law suggests a two-step mechanism.

# Fast Initial Step

- A proposed mechanism is



Step 1 includes the forward *and* reverse reactions.

# Fast Initial Step

- The rate of the overall reaction depends upon the rate of the slow step.
- The rate law for that step would be

$$\text{Rate} = k_2 [\text{NOBr}_2] [\text{NO}]$$

- But how can we find  $[\text{NOBr}_2]$ ?

# Fast Initial Step

- $\text{NOBr}_2$  can react two ways:
  - With  $\text{NO}$  to form  $\text{NOBr}$
  - By decomposition to reform  $\text{NO}$  and  $\text{Br}_2$
- The reactants and products of the first step are in equilibrium with each other.
- Therefore,

$$\text{Rate}_f = \text{Rate}_r$$



# Fast Initial Step

- Because  $\text{Rate}_f = \text{Rate}_r$ ,

$$k_1 [\text{NO}] [\text{Br}_2] = k_{-1} [\text{NOBr}_2]$$

- Solving for  $[\text{NOBr}_2]$  gives us

$$\frac{k_1}{k_{-1}} [\text{NO}] [\text{Br}_2] = [\text{NOBr}_2]$$



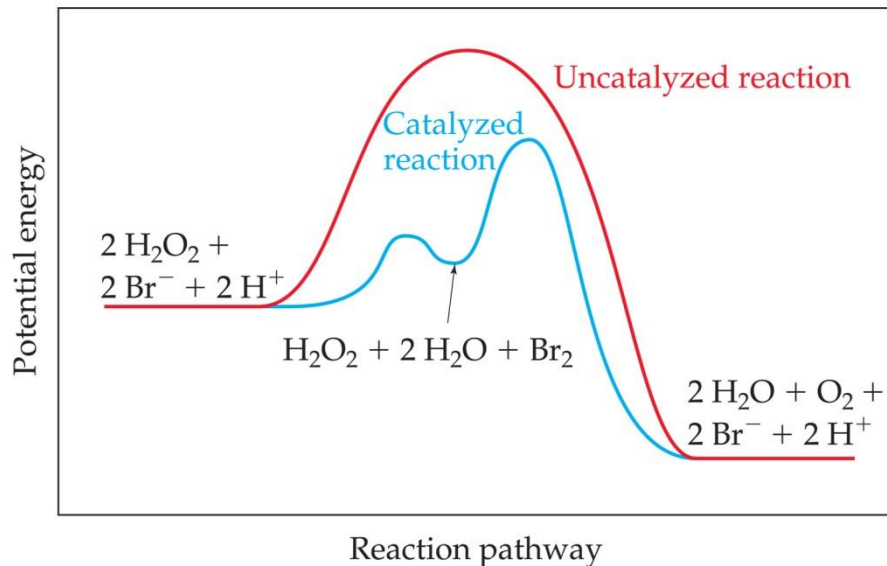
# Fast Initial Step

Substituting this expression for  $[\text{NOBr}_2]$  in the rate law for the rate-determining step gives

$$\begin{aligned}\text{Rate} &= \frac{k_2 k_1}{k_{-1}} [\text{NO}] [\text{Br}_2] [\text{NO}] \\ &= k [\text{NO}]^2 [\text{Br}_2]\end{aligned}$$

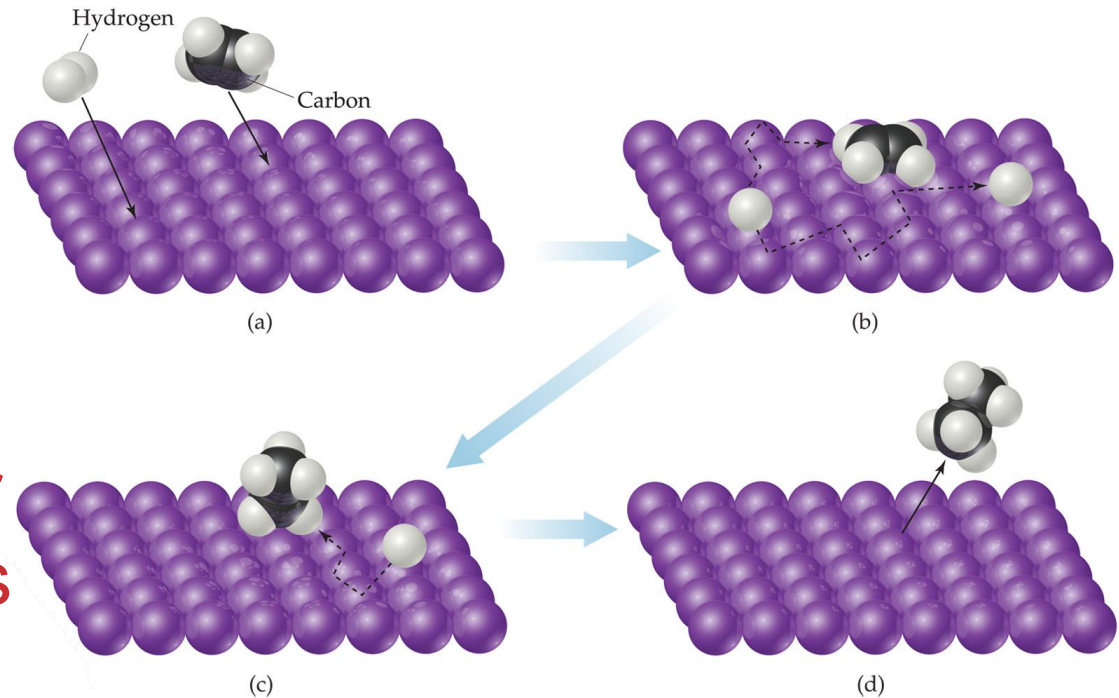
# Catalysts

- Catalysts increase the rate of a reaction by decreasing the activation energy of the reaction.
- Catalysts change the mechanism by which the process occurs.

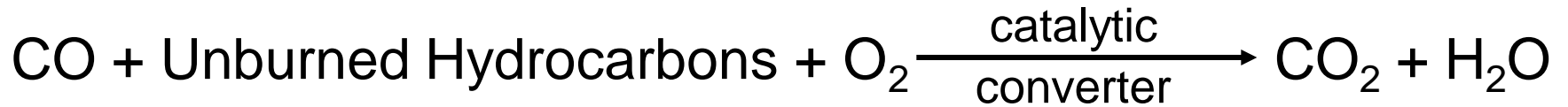
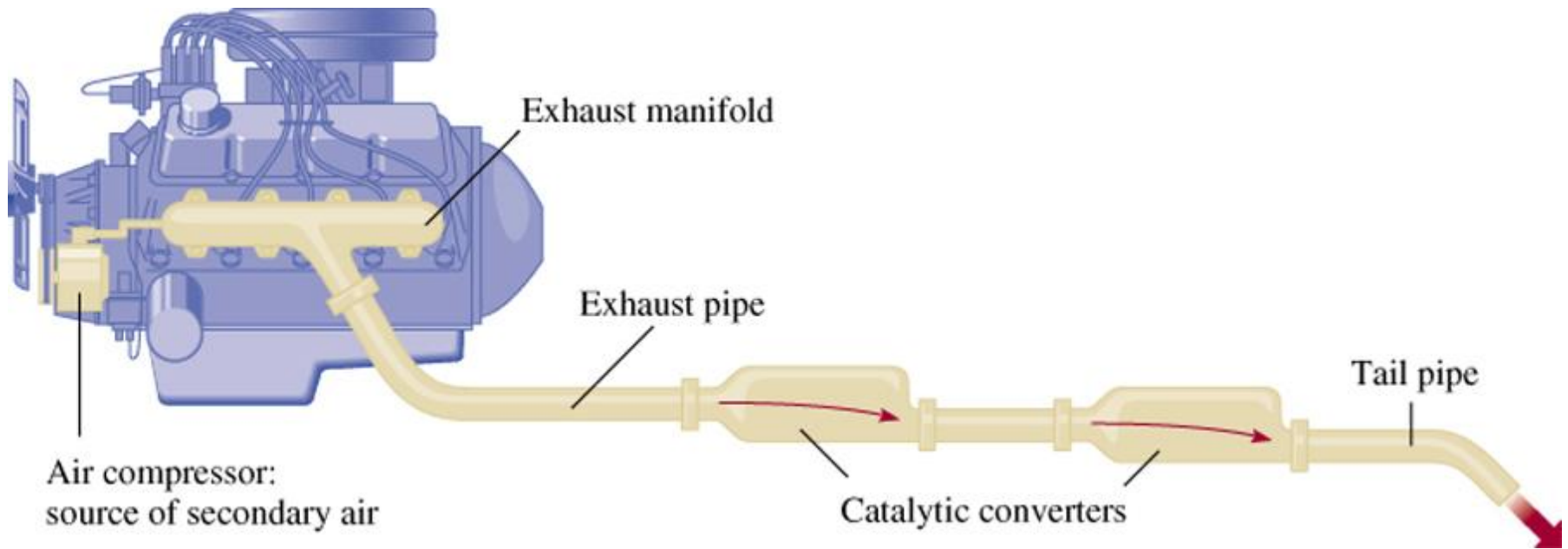


# Catalysts

One way a catalyst can speed up a reaction is by holding the reactants together and helping bonds to break.



# Catalytic Converters



# Enzyme Catalysis

